

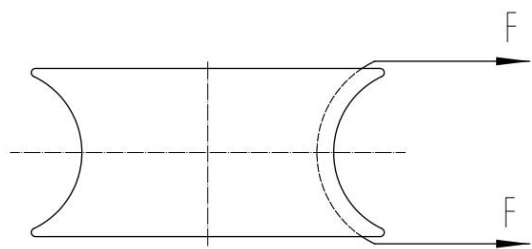


Safety Working Load Calculation Of Panama Chocks

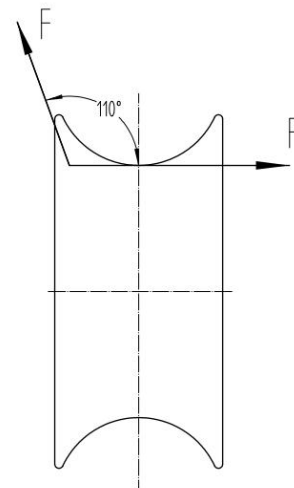
According to *Panama Canal Authority Rules* [Panama chock](#) is a kind of mooring chock that designed and applied to marine ships for crossing Panama Canal. Compared to other chocks, the Panama chock has a slightly higher tensile strength and safety working load.

This article is conducted to show how to calculate SWL (safety working load) of Panama chocks.

1. Force analysis.



Horizontal load



Vertical load

As the sketch shows above, F is 2 times mooring rope breaking load.

Following is a example calculation of AC310 model Panama chock. Dimensions of AC310 Panama chock please [click](#) here.

2. Calculation of horizontal load.

AC310 Panama chock mooring rope breaking load is 64 N.

$$F = 2 \times 64 \times 9.8 = 1254.4 \text{ N.}$$

a. Bending moment from mooring rope to the bottom of marine chock.

$$M = 2F \times (130 + 180) = 2 \times 2 \times 64 \times 1000 \times 310 \times 9.8 = 777728000 \text{ N}\cdot\text{m.}$$

Flexural modulus of the bottom of marine chock.

$$W=W_1+W_2$$

$$W_1=(T \times L^4)/6=32 \times 708^2/6=2673408\text{mm}^3.$$

$$W_2=(T \times L^5^2)/6=32 \times 652^2/6=2267221\text{mm}^3.$$

$$W=W_1+W_2=2673408+2267221=4940629\text{mm}^3.$$

Bending stress.

$$\alpha=M/W=777728000/4940629=157.4\text{Mpa}.$$

b. Shear stress from mooring rope to the bottom of marine chock.

Sectional area of marine chock bottom.

$$S=708 \times 32+652 \times 32+296 \times 32 \times 2=62464\text{mm}^2.$$

Shear stress.

$$\tau=2 \times F/S=2 \times 2 \times 64 \times 1000 \times 9.8/62454=40\text{Mpa}.$$

c. Synthetic stress.

$$\alpha_s=\alpha/2+((\alpha/2)^2+\tau^2)^{1/2}=78.7+88=166.7\text{Mpa}.$$

Permissible stress of marine chock's material (ZG200-400).

$$[\alpha]=0.85\alpha_m=0.85 \times 200=170\text{Mpa}.$$

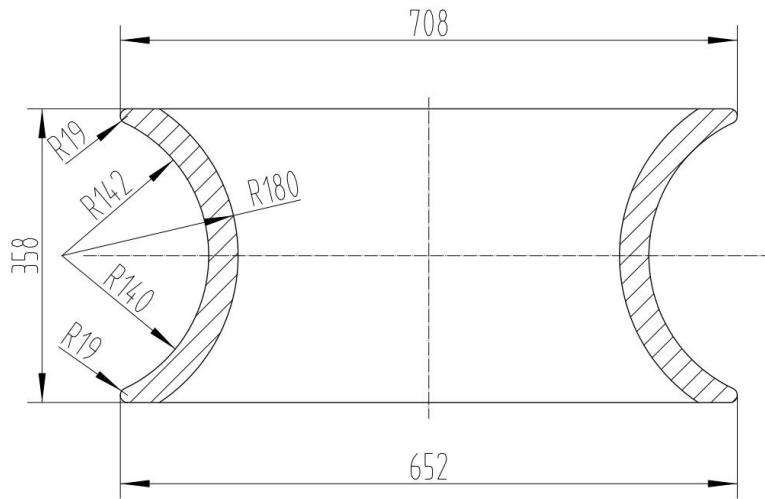
Result: $\alpha_s < [\alpha]$, horizontal load of Panama chock is satisfied.

3. Calculation of middle load.

Shear force from mooring rope to the middle of marine chock.

$$T=2 \times F=2 \times 2 \times 64 \times 1000 \times 9.8=2508800\text{N}.$$

Sectional area shows as below:



$$S = 2 \times (9305 + 8239) = 2 \times 17544 = 35088 \text{ mm}^2.$$

Shear stress.

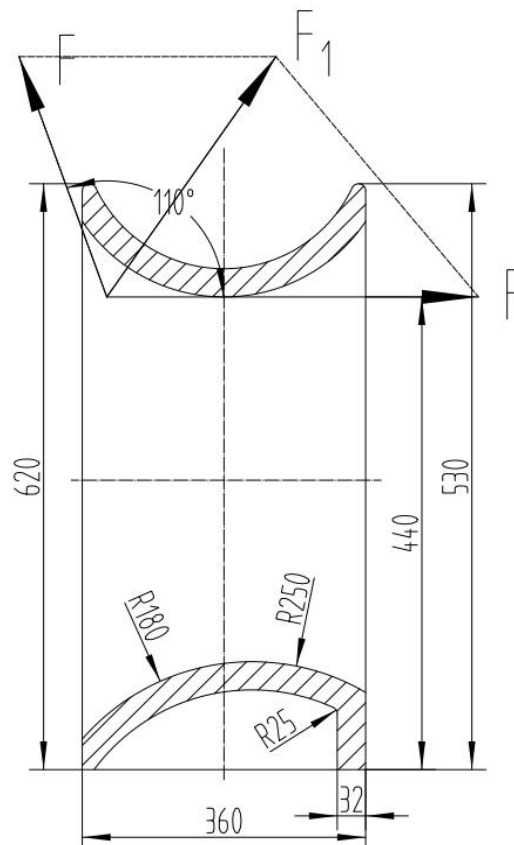
$$\tau = T/S = 2508800 / 35088 = 70 \text{ Mpa.}$$

$$[\tau] = 0.6 \alpha_m = 0.6 \times 200 = 120 \text{ Mpa.}$$

Result: $\tau < [\tau]$, middle load of Panama chock is satisfied.

4. Calculation of vertical load.

Force detail of Panama chock bottom as below:



a. Tensile stress from mooring rope to the bottom of marine chock.

$$F_1 = 2F \times \sin(70^\circ/2) = 2 \times 1254.4 \times 0.57 = 1438640 \text{ N.}$$

Resolve F_1 to horizontal force F_2 and vertical force F_3 .

$$\text{Horizontal force } F_2 = F_1 \times \cos 55^\circ = 825170 \text{ N.}$$

$$\text{Vertical force } F_3 = F_1 \times \sin 55^\circ = 1178465 \text{ N.}$$

Bending moment from horizontal force to the bottom of marine chock.

$$M = F_2 \times 440 = 825170 \times 440 = 363074800 \text{ N}\cdot\text{mm.}$$

Flexural modulus of the bottom of marine chock.

$$W_1 = (32^3 \times 708 / 12) + (32 \times 708 \times 164^2) / 180 = 3396050 \text{ mm}^3.$$

$$W_2 = (32^3 \times 652 / 12) + (32 \times 652 \times 164^2) / 180 = 3127463 \text{ mm}^3.$$

$$W = W_1 + W_2 = 6523486 \text{ mm}^3.$$

Tensile stress.

$$\alpha_1 = M / W = 363074800 / 6523486 = 55.6 \text{ Mpa.}$$

b. Vertical tensile stress to the bottom of marine chock.

Sectional area of marine chock bottom.

$$S = 708 \times 32 + 652 \times 32 + 296 \times 32 \times 2 = 62464 \text{ mm}^2.$$

Vertical tensile stress.

$$\alpha_2 = F_3 / S = 1178465 / 62464 = 18.8 \text{ Mpa.}$$

c. Synthetic stress.

$$\alpha = \alpha_1 + \alpha_2 = 55.6 + 18.8 = 74.4 \text{ Mpa.}$$

Result: $\alpha < [\alpha]$, vertical load of Panama chock is satisfied.

This calculation is a reference for designers who want to choose a suitable model of Panama chocks. More information please [contact us](#).